## Use of Biomarker Ratio Database and Search Tool to Quickly Identify Similar Oill Samples

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## Outline

- Why is oil fingerprinting important?
- Oil fingerprinting/biomarker ratios
- Goal of this project (database search tool)
- MATLAB search tool
- Results
- Next steps


## Why is Oil Fingerprinting Important?

- Comparison of suspect samples to known spill source
- Mystery spills
- Natural petroleum seeps
- Anthropogenic
- Acute (bilge cleaning, sudden leaks/spills)
- Chronic (shipwrecks, slow leaks)


## Why is Oil Fingerprinting Important?

Natural Petroleum Seeps

- Worldwide, ~180 million gallons (4.3 million bbls) into marine environment per year
- In Santa Barbara Channel, ~6 million gallons (143,000 bbls) released per year

Source:Kvenolden and Cooper 2003


## Why is Oil Fingerprinting Important?

Natural Petroleum Seeps

- Oiled Wildlifife Care Network (OWCN) intakes an average of about 275 miscellaneous oiled birds per year



## Why is Oil Fingerprinting Important?

Shipwrecks

- S.S. Jacob Luckenbach estimated to have killed >50,000 birds
- S.S. Montebello poses potential risk


Montebello


## Petroleum Fingerprinting

## Basics

- Gas Chromatography/Mass Spectrometry (GCMS)
- Comparison of chromatograms



## Petroleum Fingerprinting

## Biomarker Ratios

- Biomarker = organic compounds from dead things
- Ratios provide way of quantifying comparisons



## Petroleum Fingerprinting

## Biomarker Ratios

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## Petroleum Fingerprinting

## Biomarker Ratios

- Biomarkers can be affected by:
- Biodegradation
- Weathering
- USGS identified 19 ratios that are relatively stable


| IndeX | Ratio |
| :---: | :---: |
| 1 | del 13 C |
| 2 | $\mathrm{Ts} / \mathrm{T}_{\mathrm{m}}$ |
| 3 | $\mathrm{C}_{26} /$ Tet (triplet) |
| 4 | $\mathrm{C}_{28} / \mathrm{C}_{29}$ |
| 5 | PAH-RI |
| 6 | $\mathrm{C} 2 \mathrm{D} / \mathrm{C} 2 \mathrm{P}$ |
| 7 | $\mathrm{C} 3 \mathrm{D} / \mathrm{C} 3 \mathrm{P}$ |
| 8 | $\mathrm{C}_{28} / \mathrm{C}_{29} \mathrm{TT}$ |
| 9 | $\mathrm{C}_{20} / \mathrm{C}_{23} \mathrm{TT}$ |
| 10 | $\mathrm{C}_{22} / \mathrm{C}_{21} \mathrm{TT}$ |
| 11 | $\mathrm{C}_{24} / \mathrm{C}_{23} \mathrm{TT}$ |
| 12 | $\mathrm{C}_{26} / \mathrm{C}_{25} \mathrm{TT}$ |
| 13 | $\mathrm{C}_{31} \mathrm{~S} / \mathrm{H}$ |
| 14 | $\mathrm{C}_{29} \mathrm{H} / \mathrm{H}$ |
| 15 | $\mathrm{C}_{35} / \mathrm{C}_{34} \mathrm{~S}$ |
| 16 | $\mathrm{BNH} / \mathrm{H}$ |
| 17 | $\mathrm{OI/H}$ |
| 18 | $\mathrm{G} / \mathrm{H}$ |
| 19 | $\mathrm{C}_{29}$ Ts/C $\mathrm{C}_{29} \mathrm{H}$ |

## Petroleum Fingerprinting

## Biomarker Ratios

- USGS and others have used ratios to model similarity of samples, using PCA, etc.

Hierarchical Cluster Analysis (HCA) Distinguishes Tribes 1, 2, and 3


## Project Goals

## Ratio Comparison Tool:

- Able to quickly compare a mystery sample to a large number of other known samples
- Be simple to use and to interpret
- Is not dependent on the number or variability of other samples in the database


## Methods

- Developed two simple MATLAB routines with dififferent algorithms
- Tested validity of results with
 standard visual comparisons of chromatograms


## Methods

## Method 1: Mean Percentage Difference (MPD)

| 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 | 11 | 12 | 13 | 14 | 15 | 16 | 17 | 18 | 19 |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| A | -23.4 | 0.59 | 6.2 | 1.10 | 10 | 0.02 | 0.03 | 0.86 | 0.17 | 0.23 | 0.63 | 0.88 | 0.32 | 0.59 | 0.83 | 0.30 | 0.20 | 0.11 | 0.35 |
| B |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| -22.8 | 0.28 | 4.4 | 1.10 | 44 | 0.95 | 0.06 | 0.70 | 0.14 | 0.56 | 0.40 | 0.76 | 0.56 | 0.77 | 1.60 | 0.64 | 0.05 | 0.13 | 0.19 |  |

## Methods

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\begin{aligned}
\text { MPD } & =\operatorname{abs}(0.03-0.06) / \operatorname{avg}(0.03,0.06) \\
& =0.67
\end{aligned}
$$

## Methods

## Method 1: Mean Percentage Difference (MPD)



MPD $=\operatorname{abs}(0.03-0.06) / \operatorname{avg}(0.03,0.06)$
$=0.67$
MPD $=\operatorname{abs}(0.86-0.70) / \operatorname{avg}(0.86,0.70)$
$=0.21$

## Methods

## Method 1: Mean Percentage Difference (MPD)



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\mathrm{MPD} & =\operatorname{abs}(0.03-0.06) / \operatorname{avg}(0.03,0.06) \\
& =0.67 \\
\mathrm{MPD} & =\operatorname{abs}(0.86-0.70) / \operatorname{avg}(0.86,0.70) \\
& =0.21
\end{aligned}
$$

Total MPD (mean of 19 MPD individual values) $=0.57$

## Methods

## Method 2: Standardized Slope



- Convert ratio to slope
- Standardize distance between peaks to height of second peak


## Methods

## Method 2: Standardized Slope

| 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 | 11 | 12 | 13 | 14 | 15 | 16 | 17 | 18 | 19 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
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| -22.8 | 0.28 | 4.4 | 1.10 | 44 | 0.95 | 0.06 | 0.70 | 0.14 | 0.56 | 0.40 | 0.76 | 0.56 | 0.77 | 1.60 | 0.64 | 0.05 | 0.13 | 0.19 |

Ratio $0.03=$ slope $44.1^{\circ}$


## Methods

## Method 2: Standardized Slope



Ratio $0.03=$ slope $44.1^{\circ}$
Ratio $0.06=$ slope $43.2^{\circ}$
Difference $=$ slope $0.09^{\circ}$


## Methods

## Method 2: Standardized Slope



Difference $=$ slope $8.7^{\circ}$

Average Diff $=10.2^{\circ}$


## Methods

## Summary of 2 Methods

| Method | Pros | Cons |
| :--- | :--- | :--- |
| Mean Percentage <br> Difference (MPD) | ० Simple, intuitive | - May overestimate <br> diffference when <br> values very small or <br> large |
| Standardized Slope | o Does not <br> overestimate <br> difference when <br> values very small or <br> large | - Less intuitive <br> (values range from 0 <br> to 135ㅇ) |

## Results

Comparison of 2 methods ( 53 paired samples +6 paired replicates)


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Mean Percentage Difference (MPD) method performed better, with threshold of 0.10 (average of 10\% difference in ratios) predicting $100 \%$ of matching samples with 9\% error.

## Summary

Benefitits of MATLAB search tool:

- Can quickly compare samples to large database (676 USGS samples; >120 OSPR-PCL samples)
- Can help identify groups of matching samples that could have a chronic anthropogenic source
- Simple program can be easily shared (1 KB)

MATLAB search tool is NOT a statistical test to determine similarity (not intended to replace visual comparison)

## Summary

Helped identify/refine groups of matching/similar samples


## Summary

MATLAB dendrogam


## Summary

Next Steps:

- Continue to build OSPR-PCL ratio database
- Additional validation with larger sample size
- Investigate refinement of algorithm (some ratios better than others?)



## Acknowledgments

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## THANKS!

